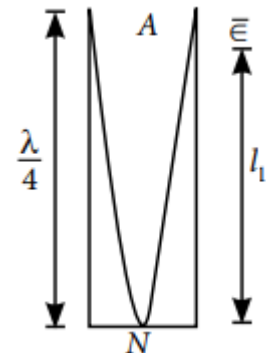


Experiment - 8 : Speed of sound in air at room temperature using a resonance tube.

Theory

A resonance tube is a tube open on one-side and closed at the other end by a water surface. The tube is made to resonate with a tuning fork for two different positions. The first position is for the first harmonic of the tube. So

$$\frac{\lambda}{4} = l_1 + \epsilon \quad \dots(i)$$



The second position is for the first overtone of the tube.

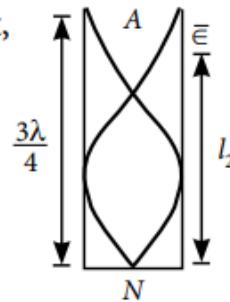
$$\frac{3\lambda}{4} = l_2 + \epsilon \quad \dots(ii)$$

' ϵ ' is the end-correction, since the anti-node of the displacement wave is formed slightly above the mouth of the tube. Subtracting (i) from (ii) we get,

$$\frac{3\lambda}{4} - \frac{\lambda}{4} = (l_2 - l_1) \Rightarrow \lambda = 2(l_2 - l_1)$$

If ν is the frequency of the tuning fork, then $v = \nu\lambda = 2\nu(l_2 - l_1)$

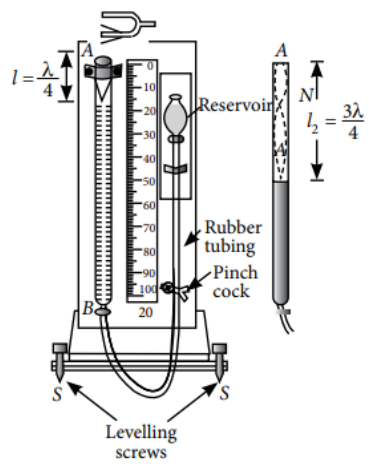
where v is the velocity of the sound wave at the room temperature.



Also, from (i) and (ii), by eliminating λ , we get, $\epsilon = \frac{l_2 - 3l_1}{2}$

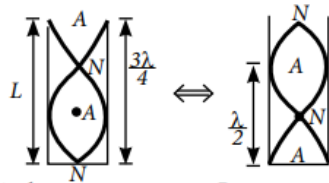
Procedure

For the experiment, we use a resonance tube apparatus, tuning fork, set square, beaker and water. Once the apparatus is set, the tuning fork is struck and placed above the upper end A of the resonance tube, so that the prongs of the tube are in vertical plane. Then the pinchcock is opened and the water-level is allowed to fall slowly. At some position, a loud sound is heard. This corresponds to the 1st resonance position. Similarly, a 2nd resonance position is attained and calculations are performed.



Hints & Explanation

34. (b) :



Displacement wave Pressure wave

In case of a pressure wave, the nodes and anti-nodes are swapped as compared to a displacement wave. As

$$L = \frac{3\lambda}{4} \text{ here, } \lambda = \frac{4L}{3}$$

The pressure anti-nodes are formed at $0, \frac{\lambda}{2}$ distance from

the closed end or they are formed at $0, \frac{2L}{3}$ from the closed end.

35. (b) : For resonance, $v = \frac{nv}{4L}$ where $n = 1, 3, 5 \dots$

$$\text{or } L = \left(\frac{nv}{4v} \right) \text{m} = n \left(\frac{340}{4 \times 340} \right) \times 100 \text{ cm}$$

$$L = 25n \text{ cm, } n = 1, 3, 5 \dots$$

$$\Rightarrow L = 25 \text{ cm, } 75 \text{ cm, } 125 \text{ cm} \dots$$

Height of the water column = $(120 - L) = 95 \text{ cm, } 45 \text{ cm,}$
 $(120 - 125) \text{ cm}$ is not possible.

So, the minimum height of water is 45 cm.

36. (c) : Due to jagged end

$$\frac{v}{4(11-x) \times 10^{-2}} = 512 \dots (i); \quad \frac{v}{4(27-x) \times 10^{-2}} = 256 \dots (ii)$$

From eqn. (i) and (ii), $2(11-x) = (27-x) \Rightarrow x = -5 \text{ cm}$

$$\text{From eqn. (i), } \frac{v}{4 \times 16 \times 10^{-2}} = 512 \Rightarrow v \approx 328 \text{ m s}^{-1}$$

37. (c) : $v_1 = \sqrt{\frac{\gamma RT}{M}}$ assuming M is the average molar mass

of the air (i.e., nitrogen)

and γ is also for nitrogen.

$$v_1 = \sqrt{\frac{\gamma RT_1}{M}}; \quad v_2 = \sqrt{\frac{\gamma RT_2}{M}}$$

where T_1 and T_2 stand for winter and summer temperatures.

$$L_1 = \frac{v_1}{n} = \frac{\lambda}{4} = 18 \text{ cm}$$

at temperature T_1 .

At T_2 , summer, $v_2 > v_1$.

$$L_2 = \frac{v_2}{n} = \frac{3\lambda}{4} > 3 \times 18. \quad \therefore \quad L_2 > 54 \text{ cm}$$

